

# BEYOND PHYSICAL CONNECTIONS: TREE MODELS IN HUMAN POSE ESTIMATION

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3. Australian National University



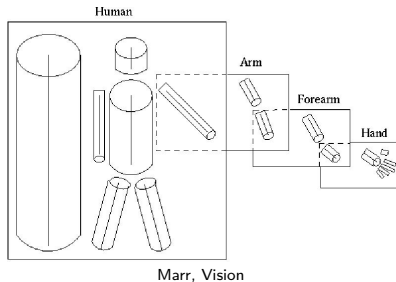
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- Models for human body
  - Multiple granularity
  - Tree structure
  - Flexibility
  - Interaction
  - Latent structure



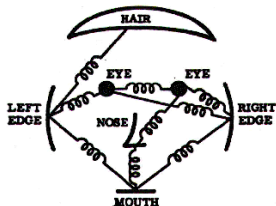
# PARSING HUMAN POSES IN IMAGES

- Models for human body
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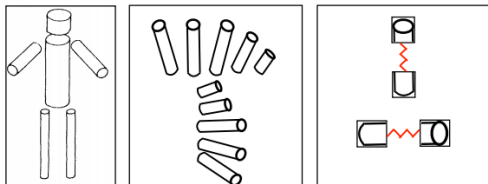
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Felzenszwalb and Huttenlocher, IJCV 2005

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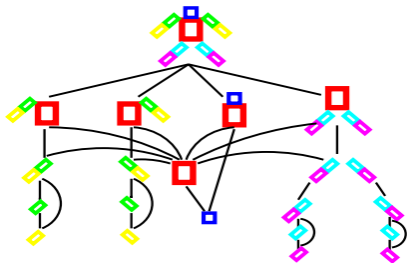
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Yang and Ramanan, CVPR 2011

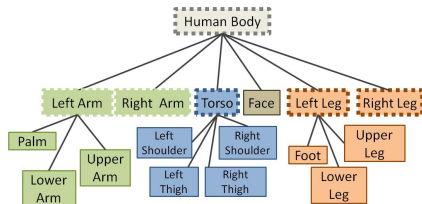
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Wang et al, JMLR 12

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Tian et al, ECCV 12

## Manually defined structure



**Learn** the structure?

## A model of **learned** structure

- handles compositional parts
- explores latent structure
- is still a tree
- captures dynamics beyond physical connections

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## A **model** of learned structure

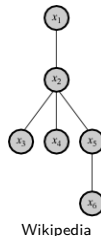
- handles compositional parts
- explores **latent** structure
- is still a **tree**
- captures dynamics beyond physical connections

# LATENT TREE FOR POSE ESTIMATION (1)

## LATENT TREE

To learn tree structured models  
for approximating joint distribution of observable variables

- Tree building algorithms:
  - [Chow and Liu, 1968]
  - [Choi et al, JMLR 2011]
- Motivations
  - Novel latent models for human, or
  - Discover intrinsic structures

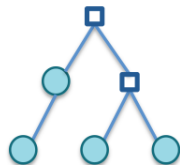


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## DEFINITION

Information distance:  $d_{ij} = -\log\left(\frac{\text{Cov}(X_i, X_j)}{\sqrt{\text{Var}(X_i)\text{Var}(X_j)}}\right)$

### • Parent-Child relationship Test

- For each triplet  $i, j, k \in V$ .
- Define  $\Phi_{ijk} \triangleq d_{jk} - d_{ik}$ , take one of the two actions:
  - If  $\Phi_{ijk} = d_{ij}$ ,  $j$  is set to be the parent of  $i$ .
  - If  $-d_{ij} \leq \Phi_{ijk} = \Phi_{ijk'} \leq d_{ik}$  for all  $k$  and  $k' \in V \setminus \{i, j\}$ , add a hidden node as the parent of  $i$  and  $j$ .



Parent-child



Sibling-hidden node

# RECURSIVE GROUPING (RG)

- Initialize
- Test parent-child for pairs
- Repeat



[Choi et al, JMLR 2011]

# RECURSIVE GROUPING (RG)

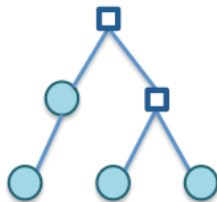
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[Choi et al, JMLR 2011]

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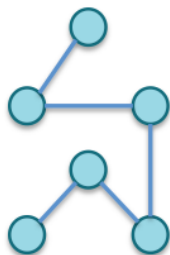
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[Choi et al, JMLR 2011]

# CHOW-LIU RECURSIVE GROUPING (CLRG)

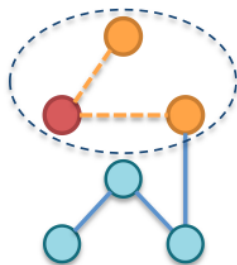
- Minimal spanning tree
- Select neighbor of an internal node
- Perform RG and update structure



[Choi et al, JMLR 2011]

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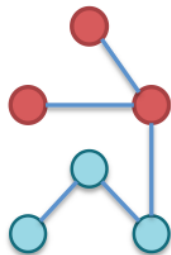


[Choi et al, JMLR 2011]



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[Choi et al, JMLR 2011]

# BUILDING LATENT TREE FOR PRIMITIVE PARTS

Leeds Sport Pose from [Johnson and Everingham, BMVC 2010]



# BUILDING TREES FOR COMPOSITIONAL PARTS



## OUR APPROACH

Learn a tree structured model for human pose estimation that integrates primitive parts and combined parts

- Primitive parts
  - Joints, non-oriented  $\Rightarrow$  geometric clustering
    - [Yang and Ramanan, CVPR 2011]
- Combined parts
  - Distinctive  $\Rightarrow$  Visual Categorization
  - SVM+HOG [Dalal and Triggs, CVPR 05]
- Tree structured models
  - Learned directly from data
  - Textbook example of exact inference and parameter learning

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- Learn visual categories for combined parts
  - $k$ -means algorithm on geometric config to find mean patch sizes
  - Latent SVM [Divvala et al, 2012] model for each combined part
  - Further info: [\[Wang and Li, IJCAI 2013\]](#)

$$\arg \min_w \frac{1}{2} \sum_{k=1}^K \|w_k\|^2 + C \sum_{i=1}^N \epsilon_i,$$
$$y_i w_{t_i} \phi(x_i) \geq 1 - \epsilon_i, \epsilon_i \geq 0,$$
$$t_i = \arg \max_k w_k \phi(x_i)$$



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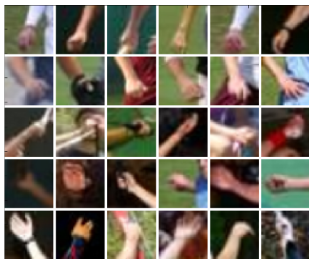
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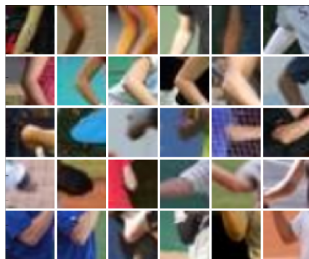
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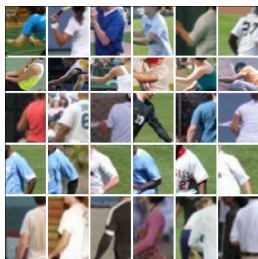
# RESULTS FOR CATEGORIZATION



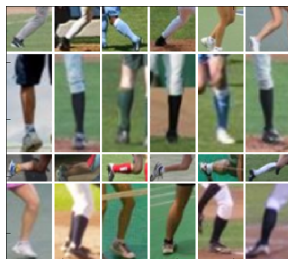
Hand



Elbow



Left arm



Left leg

## OBJECTIVE FUNCTION

$$p = \arg \max_p S(t) + \sum_i S(I, p_i) + \sum_{i,j} S(I, p_i, p_j)$$

- Unary term
- Pairwise term
- Compatibility term

## DEFINED AS

$$S(I, p_i) = \omega_i^{t_i} \phi(I, loc_i)$$

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## DEFINED AS

$$S(I, p_i, p_j) = \omega_{ij}^{t_i t_j} \psi(p_i, p_j)$$

## OBJECTIVE FUNCTION

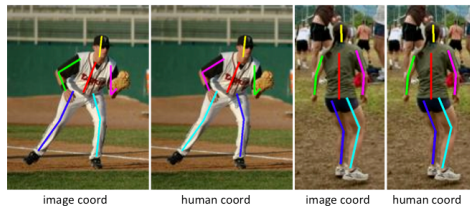
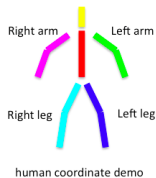
$$p = \arg \max_p S(t) + \sum_i S(l, p_i) + \sum_{i,j} S(l, p_i, p_j)$$

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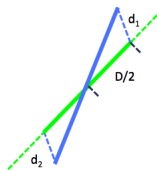
## DEFINED AS

$$S(t) = \sum b_i^{t_i} + \sum b_{ij}^{t_i t_j}$$

# EXPERIMENTS



PARSE dataset, from [Ramanan, NIPS 2006]



Strict evaluation:  $d_1 < D/2, d_2 < D/2$

Loose evaluation:  $(d_1 + d_2)/2 < D/2$

Percentage of Correct Parts (PCP)

[Ferrari et al, CVPR 08]



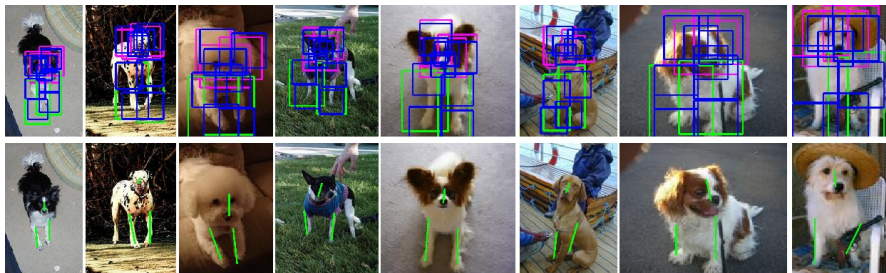
# EXPERIMENTS (1)



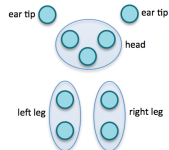
Exp.		Method	Torso	Head	U.Leg	L.Leg	U.Arm	L.Arm	Total
LSP	L	Yang & Ramanan	92.6	87.4	66.4	57.7	50.0	30.4	58.9
	L	Tian <i>et al.</i> (First 200)	93.7	86.5	68.0	57.8	49.0	29.2	58.8
	L	Tian <i>et al.</i> (5 models)	<b>95.8</b>	<b>87.8</b>	69.9	60.0	<b>51.9</b>	32.8	61.3
	L	Ours (First 200)	88.4	80.8	69.1	60.0	50.5	29.2	59.0
	L	Ours	91.9	86.0	<b>74.0</b>	<b>69.8</b>	48.9	32.2	<b>62.8</b>
	S	Johnson & Everingham	78.1	62.9	<b>65.8</b>	<b>58.8</b>	<b>47.4</b>	<b>32.9</b>	<b>55.1</b>
	S	Yang & Ramanan	82.0	75.8	54.4	51.6	41.0	28.4	50.9
S	Ours (strict eval)	<b>88.3</b>	<b>81.4</b>	55.3	55.3	43.1	30.5	53.8	
PARSE	L	Yang & Ramanan	78.8	70.0	66.0	61.1	<b>61.0</b>	<b>37.4</b>	60.0
	L	Ours	<b>88.3</b>	<b>78.7</b>	<b>75.2</b>	<b>71.8</b>	60.0	35.9	<b>65.3</b>

TABLE : Performance on the LSP dataset.

# EXPERIMENTS (2)



Method	Head	L.F.Leg	R.F.Leg	Legs	Total
Yang & Ramanan, CVPR 2011	<b>56.1</b>	52.8	58.3	55.6	55.7
Ours	52.8	<b>60.6</b>	<b>63.3</b>	<b>62.0</b>	<b>58.9</b>



- Tree models for human pose estimation are efficient
- Latent tree is an effective tool for recovering intrinsic structure
- Learning visual category of combined part

# Thank you!

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