

# Call Completion Probability in Heterogeneous Networks with Energy Harvesting Base Stations



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# Outline

- **Motivation and Research Challenge**
  
- **System Model**
  - Network Model
  - BS Energy and Operational Model
  
- **Call Completion Performance Analysis**
  
- **Results and Discussions**
  
- **Conclusions**

# Motivation

- Why self-powered (i.e., renewable energy powered) BSs are attractive?
  - Base stations (BSs) account for more than **50%** of the energy consumption in wireless cellular networks<sup>1</sup>.

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  - **HetNets** (heterogeneous network): deployment of BSs of different transmit powers, e.g., 50W, 2W and 0.2W for macro, pico and femto BSs in LTE.

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  - **HetNets** (heterogeneous network): deployment of BSs of different transmit powers, e.g., 50W, 2W and 0.2W for macro, pico and femto BSs in LTE.
  - Regulatory pressure for greener techniques in developing countries and lack of dependable electrical grid in developing countries is driving the push towards self-powered BSs.

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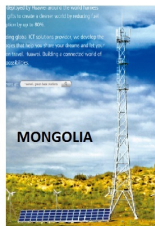
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# Literature Survey

## ■ Research on self-powered BSs:

- **Feasibility studies** of powering macro BSs in LTE.
- Design of cellular systems with **BSs powered by both on-grid and renewable energy**.
- Modelling of the uncertainty in the **availability of BSs** in a  $K$ -tier HetNet<sup>2</sup>.

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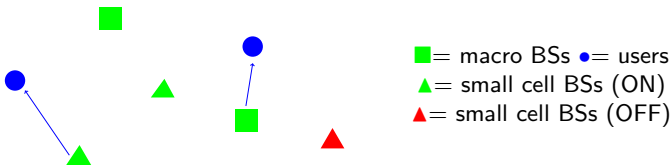
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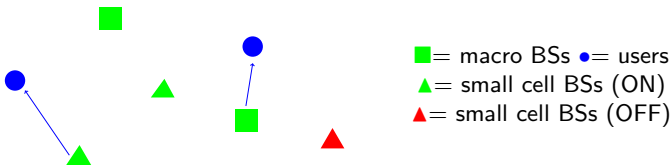
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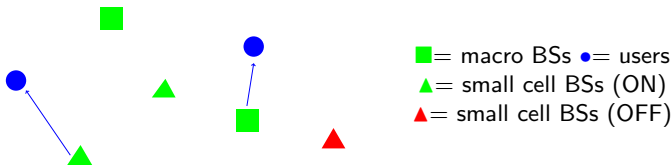
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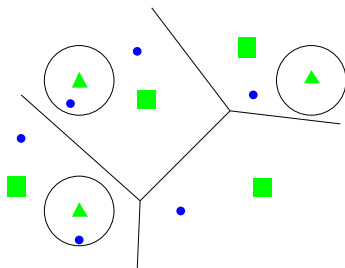
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- **How does hand-off impact the call performance from a users point of view?**

## Network Model

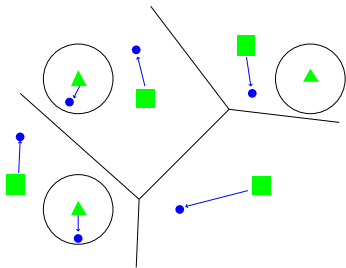
- $K = 2$ -tier HetNet downlink (tier 1=macrocells and tier 2=microcells);
- Location of macro BSs, micro BSs and users are modelled by an independent **Poisson Point Process (PPP)** with constant densities  $\lambda_1$ ,  $\lambda_2$  and  $\lambda_u$ , respectively;



■ = macrocell BSs   ● = users  
▲ = microcell BSs

## Network Model (contd.)

- BSs in each tier are allocated the same constant transmit power  $P_1$  and  $P_2$ , respectively;
- **Channel model**: path loss plus Rayleigh fading channel model;
- **Cell association policy**: each user is associated with the BS in the  $k$ -tier that provides the highest long term received power.



■ = macrocell BSs ● = users  
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## BS Energy Harvesting Model

- Each BS has its own energy harvesting module and an **energy storage device of finite capacity**  $N_k$ .

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- Each BS has its own energy harvesting module and an **energy storage device of finite capacity**  $N_k$ .
- The **energy arrival process** at each tier BS is modelled as a Poisson process with mean energy harvesting rate  $\mu_k$ <sup>3</sup>.

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## BS Energy Utilization Model

- Energy utilisation is composed of two parts<sup>4</sup>:
  - **static energy utilization** related to energy utilization without any traffic load  $S_k$ ;
  - **dynamic energy utilization** related to the traffic load (i.e., the number of users served by a BS)  $v_k$ ;

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  - **dynamic energy utilization** related to the traffic load (i.e., the number of users served by a BS)  $v_k$ ;
- BS energy utilization rate at  $k$ th tier BS

$$\gamma_k = S_k + v_k = S_k + D_k \overline{A}_k \lambda_u, \quad (1)$$


where  $D_k$  is the dynamic energy utilization rate per user,  $\overline{A}_k$  is the  $k$ th tier BS's average service area and  $\lambda_u$  is the user density.


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## BS Operational Model

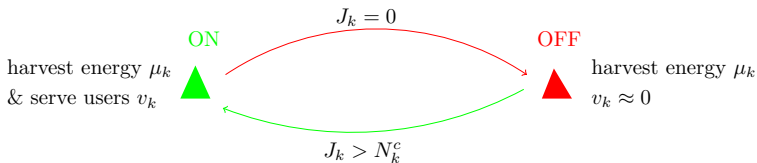
- Each BS transmits to its users in each resource block over a short time scale, while each BS harvests energy over a long time scale;
- The BS energy state,  $J_k$ , can be modelled as a **continuous-time Markov chain**, with birth rate  $\mu_k$  (i.e., mean energy harvesting rate) and death rate  $\nu_k$  (i.e., mean dynamic energy utilization rate);
- Two operational modes for each BS: **ON** and **OFF**

ON  
harvest energy  $\mu_k$   
& serve users  $\nu_k$  

OFF  
 harvest energy  $\mu_k$   
 $\nu_k \approx 0$

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where  $N_k^c (< N_k)$  is the minimum energy level at which BS switches back ON.

## BS Availability Analysis

- Lemma 1:** The mean time a  $k$ th tier BS spends in the ON state is given by the solution of the following equation

$$\mathbb{E}[J_k^{ON}] = \frac{\left(\frac{\mu_k}{v_k}\right)^{N_k} - \left(\frac{\mu_k}{v_k}\right)^{N_k - N_k^c + S_k \mathbb{E}[J_k^{ON}]}}{(v_k - \mu_k)^2 \mu_k^{-1}} - \frac{N_k^c - S_k \mathbb{E}[J_k^{ON}]}{\mu_k - v_k}, \quad (2)$$

where  $\mu_k$  is the mean energy harvesting rate,  $v_k$  is the mean dynamic energy utilization rate,  $N_k$  is the battery capacity,  $N_k^c$  is the minimum energy level at which BS switches back ON and  $S_k$  is the static energy utilization rate.

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- Lemma 2:** The mean time a  $k$ th tier BS spends in the OFF state is

$$\mathbb{E}[J_k^{OFF}] = \frac{N_k^c}{\mu_k}. \quad (3)$$



# Call Completion Probability

- For a traditional cellular network, corresponding to  $K = 1$ -tier, the call completion probability is the probability that<sup>5</sup>:
  - a call is **successfully connected** to the network in an arbitrary cell,
  - it experiences successful **handoffs**,
  - it survives bank-link periods, i.e., no **link breakage**,
  - it ends at an arbitrary cell when it is **terminated by the user**.

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  - it survives bank-link periods, i.e., no **link breakage**,
  - it ends at an arbitrary cell when it is **terminated by the user**.
- The call holding time  $T_c$  is a random variable. The cell-dwell time  $T_i$  is defined as the time duration that a user resides in the  $i$  the cell (independent and identically distributed  $T$ );

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# Call Completion Performance Analysis

For a traditional cellular network, corresponding to  $K = 1$ -tier, the call completion probability can be expressed as<sup>6</sup>

$$\mathcal{P}^c = (1 - \rho_0) \mathbb{P} \left( T_c < \left( R + \sum_{i=2}^N T_i \right), T_c < \sum_{i=1}^M V_i \right) \quad (4)$$

where  $\rho_0$ : the probability that a new call is blocked;

$T_c$ : the call holding time of a user;

$N$ : the index of the last cell where the user ends the call;

$T_i$ : the  $i$ th cell dwell time (independent and identically distributed  $T$ );

$R$ : the residual life of the call in the first cell;

$V_i$ : the  $i$ th good link period;

$M$ : the index of the last good link where the user ends the call.

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## Call Completion Performance Analysis (contd.)

$$\mathcal{P}^c = (1 - \rho_0) \mathcal{M}_{T_c}(-(a + b)), \quad (5)$$

$$a = \frac{\rho_f}{\rho_f \mathbb{E}[R] + (1 - \rho_f) \mathbb{E}[T]},$$

$$b = \frac{\rho_{\text{link}}}{\mathbb{E}[V]},$$

where

$\mathcal{M}_{T_c}(\cdot)$ : MGF of the random variable  $T_c$ ;

$\rho_f$ : the probability of handoff failure;

$\rho_{\text{link}}$ : the probability of a link breakage;

$\mathbb{E}[R]$ : the mean residual life of the call in the first cell which depends on the distribution of  $T$ ;

$\mathbb{E}[V]$ : the expected time of a good link period;

$\mathbb{E}[T]$ : the mean cell dwell time.

# Call Completion Performance Analysis

## Assumptions:

- User mobility does not trigger a hand-off and only BSs turning ON and OFF causes the hand-off;
- Inside the two-tier HetNet, **cross tier hand-offs** can occur. The mean cell dwell time  $\mathbb{E}[T]$  in term  $a$  is

$$\mathbb{E}[T] = \mathcal{P}_1^s \mathbb{E}[J_1^{ON}] + \mathcal{P}_2^s \mathbb{E}[J_2^{ON}].$$

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- Assume an **exponential distribution for the call holding time**  $T_c$ , which is a commonly used model in the literature;
- Assume that a **call** initiated by the user is **never blocked by the network**, i.e.,  $\rho_0 = 0$ .

# Call Completion Performance Analysis

- Lemma 3:** For a  $K = 2$ -tier HetNet with energy harvesting BSs, assuming the call initiated by the user is never blocked by the network, the call holding time follows an exponential distribution and hand-off is only caused by BSs turning ON and OFF, the overall call completion probability is bounded by

$$\frac{1}{M_{T_c}(a_1 + b) + 1} \leq \mathcal{P}^c \leq \frac{1}{M_{T_c}(a_2 + b) + 1}, \quad (6)$$

where  $M_{T_c}$  is the average call holding time,

$$a_1 = \frac{\rho_f}{(1-\rho_f)(\mathcal{P}_1^s \mathbb{E}[J_1^{ON}] + \mathcal{P}_2^s \mathbb{E}[J_2^{ON}])}, \quad a_2 = \frac{\rho_f}{\mathcal{P}_1^s \mathbb{E}[J_1^{ON}] + \mathcal{P}_2^s \mathbb{E}[J_2^{ON}]}, \quad b = \frac{\rho_{\text{link}}}{\mathbb{E}[V]}, \quad \mathbb{E}[J_k^{ON}]$$

is the mean  $k$ th tier BS ON time and  $\mathcal{P}_k^s$  is the  $k$ th tier association probability.



## Call Completion Performance Analysis

- The **average service area** of a  $k$ th tier BS is

$$\bar{A}_k = \frac{P_k^{\frac{2}{\alpha}}}{\sum_{j=1}^2 \lambda_j \mathcal{P}_j^a P_j^{\frac{2}{\alpha}}}. \quad (7)$$

where the **availability** of  $k$ th tier BS is

$$\mathcal{P}_k^a = \frac{\mathbb{E}[J_k^{ON}]}{\mathbb{E}[J_k^{ON}] + \mathbb{E}[J_k^{OFF}]}, \quad (8)$$

where  $\mathbb{E}[J_k^{ON}]$  and  $\mathbb{E}[J_k^{OFF}]$  represent the mean  $k$ th tier BS ON and OFF times and  $\mathbb{E}[\cdot]$  denotes expectation.

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where  $\mathbb{E}[J_k^{ON}]$  and  $\mathbb{E}[J_k^{OFF}]$  represent the mean  $k$ th tier BS ON and OFF times and  $\mathbb{E}[\cdot]$  denotes expectation.

- The probability that a typical user is **associated** with the  $k$ th tier BS is

$$\mathcal{P}_k^s = \lambda_k \mathcal{P}_k^a \overline{A}_k. \quad (9)$$

## Results and Discussions

The overall energy utilization of a macro BS only varies about 3% for a 3G BS and 2% for a 2G BS over a period of several days, while its traffic load varies from no load to peak load<sup>7</sup>. Thus, we ignore the dynamic energy utilization of a macro BS and set  $D_1 = 0$ . we then have

$$\gamma_1 = S_1,$$

$$\gamma_2 = S_2 + v_2.$$

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$$\begin{aligned}\gamma_1 &= S_1, \\ \gamma_2 &= S_2 + v_2.\end{aligned}$$

For the macro BS, the expected ON time can be solved as

$$\mathbb{E}[J_1^{ON}] = \frac{N_1^c}{S_1 - \mu_1}, \quad (10)$$

and the macro BS availability is

$$\mathcal{P}_1^a = \frac{\mu_1}{S_1}. \quad (11)$$

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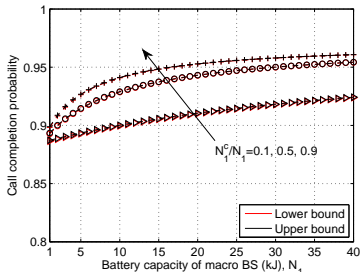
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# System Parameters

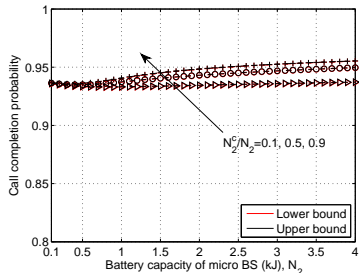
Parameters	Notation	Value
Path loss exponent	$\alpha$	4
Ratio of transmit power	$P_1/P_2$	10
Macro BS density (per km <sup>2</sup> )	$\lambda_1$	1.4
Micro BS density (per km <sup>2</sup> )	$\lambda_2$	3.7
User density (per km <sup>2</sup> )	$\lambda_u$	18
Static energy utilization rate of micro BSs (kJ/s)	$S_2$	0.025
Dynamic energy utilization rate of micro BSs (kJ/s)	$D_2$	0.007
Static energy utilization rate of macro BSs (kJ/s)	$S_1$	1.43
Dynamic energy utilization rate of macro BSs (kJ/s)	$D_1$	0
Average call duration (s)	$M_c$	180
Handoff failure probability	$\rho_f$	0.01
Link breakage probability	$\rho_{\text{link}}$	0.01
Expected good link period (s)	$\mathbb{E}[V]$	60
Energy harvest rate of macro BSs (kJ/s)	$\mu_1$	1.3
Energy harvest rate of micro BSs (kJ/s)	$\mu_2$	0.2
Battery capacity of macro BSs (kJ)	$N_1$	20
Battery capacity of micro BSs (kJ)	$N_2$	2
Ratio of switching state and battery capacity	$N_k^c/N_k$	0.5

# Results and Discussions

## ■ Effect of Battery Capacity



(a) Effect of battery capacity for macro BSs.

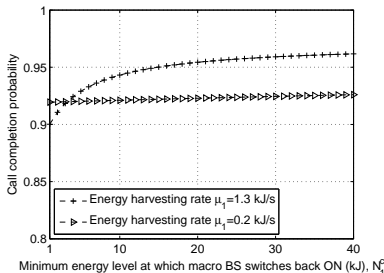


(b) Effect of battery capacity for micro BSs.

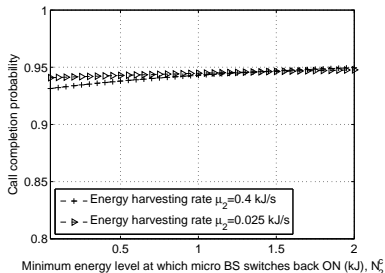
**Fig.1** Call completion probability versus the battery capacity for macro BS and micro BS, respectively, with different ratio of the minimum energy level at which BS switches back ON and battery capacity (i.e.,  $N_k^c/N_k = 0.1, 0.5, 0.9$ ) for  $k = 1, 2$ .

# Results and Discussions

## ■ Effect of the Minimum Energy Level at which BS switches back ON



(a) Effect of the minimum energy level at which macro BS switches back ON.

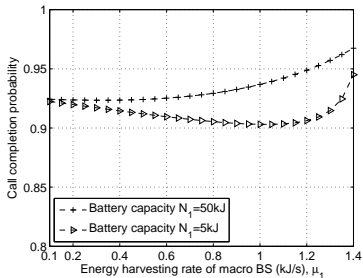


(b) Effect of the minimum energy level at which micro BS switches back ON.

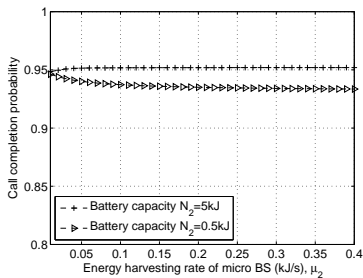
**Fig.2** Call completion probability versus the minimum energy level at which BS switches back ON, for macro BS and micro BS respectively, with different energy harvesting rate.

# Results and Discussions

## ■ Effect of the Minimum Energy Level at which BS switches back ON



(a) Effect of energy harvesting rate for macro BSs.



(b) Effect of energy harvesting rate for micro BSs.

**Fig.3** Call completion probability versus the energy harvesting rate for macro BS and micro BS, respectively, with different battery capacity.



## Conclusions

- We derived tight upper and lower bounds on the call completion probability of a two-tier heterogeneous network with energy harvesting BSs, using a realistic BS energy consumption model, where the hand-off of a call is governed by BSs switching the ON and OFF;
- We examined the impact of the system parameters (i.e., battery capacity, the minimum energy level at which BS switches back ON and energy harvesting rate) on the call completion probability.
- Results showed that the macro BS energy harvesting parameters have the dominant impact on the call completion probability.

Thank you for your attention!